

Linear Regression

Lesson 2 : Lab Session
Advanced Machine Learning, CentraleSupélec


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General Information

- **Assignment** : alone or in pairs, you will code the algorithms you learnt in ‘scikit-learn formalism’, and apply them to images and text.
- **Due** : the 5 lab assignments for lessons 3-7 are due a week from when they are given, at aml.centralesupelec.2020@gmail.com *(today's lab is not due)*
- **Grading** : each assignment is worth 4 points — your 4 best labs out of the 5 will be retained and will count for half of your final grade.
- **Questions** : questions or feedback are welcome after class or by email at l-emir-omar.chehab@inria.fr

Lesson: recap

	Objective	Solution: closed-form	Solution: via algorithm	Effect
LS	$\min_{\beta} y - X\beta _2^2$	$\hat{\beta} = (X^T X)^{-1} X^T y$	gradient descent	vanilla
Ridge	$\min_{\beta} y - X\beta _2^2 + \lambda \beta _2^2$	$\hat{\beta} = (X^T X + \lambda I)^{-1} X^T y$	gradient descent	shrinkage
LASSO	$\min_{\beta} y - X\beta _2^2 + \lambda \beta _1$	unavailable	proximal gradient (ISTA): $\beta_{t+1} = ST_{\lambda\eta} \circ (\beta_t + \eta \cdot X^T (y - X\beta))$	sparsity
Robust	$\min_{\beta} \rho(y - X\beta)$ e.g. $\rho = \cdot _1$	unavailable	IRLS:  cf. cours $D_t = \text{Diag}(\omega(y - X\beta_t))$ $\beta_{t+1} = (X^T D_t X)^{-1} X^T D_t y$	robustness

Assignment: plan

1. Simple Linear Regression
2. Adding complexity via a **nonlinear** 'basis'
3. Managing complexity via **regularization** (L1, L2)
4. Incorporating robustness via the **loss function**
5. Application : predicting Bicycle Traffic